

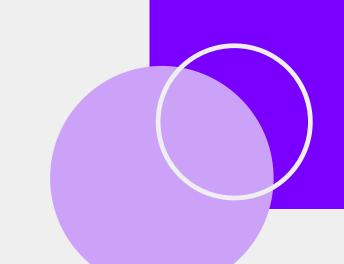
NYC

FREIGHT:

DATA ANALYSIS TO BUILD

ASYNTHETIC

Paga Pall LATION
PND Candidate at New York University
Tandon School of Engineering



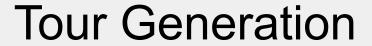


Outline



(Side) Data

Visualization



- Tour Length
- Origin

Destination

Sets

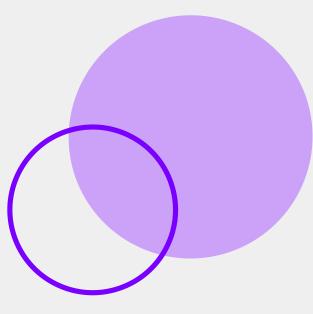
Tour Sets



Entropy Maximization Model

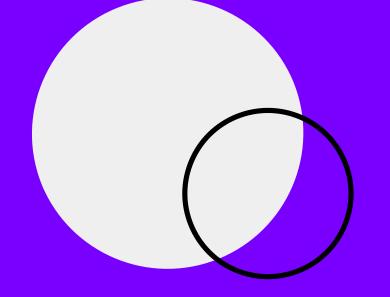
Derivation

Results

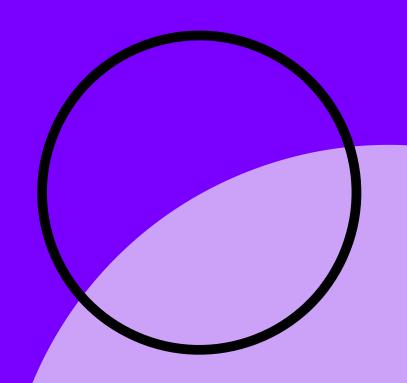


Analysis

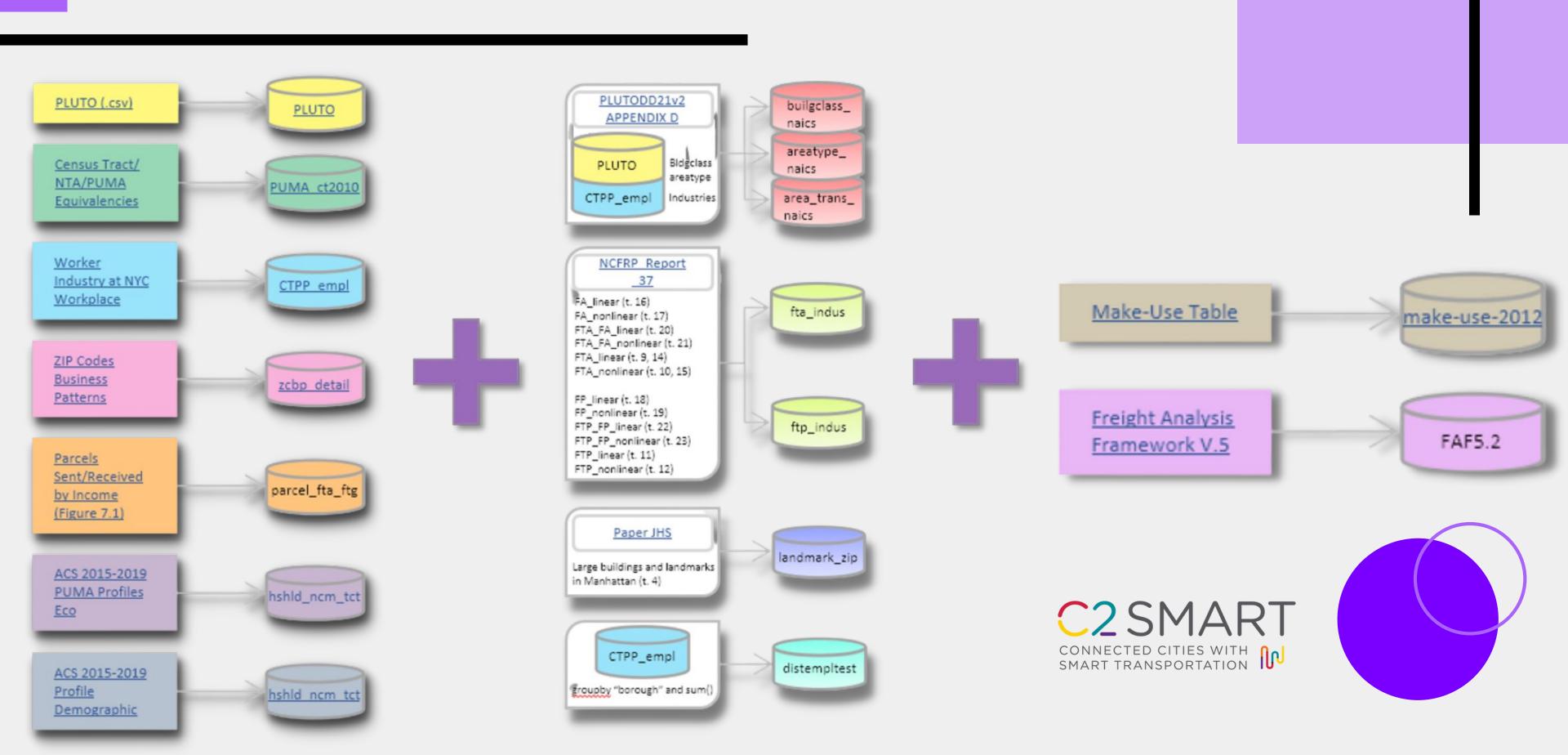
(COMING SOON(TM)



DATA INPUT

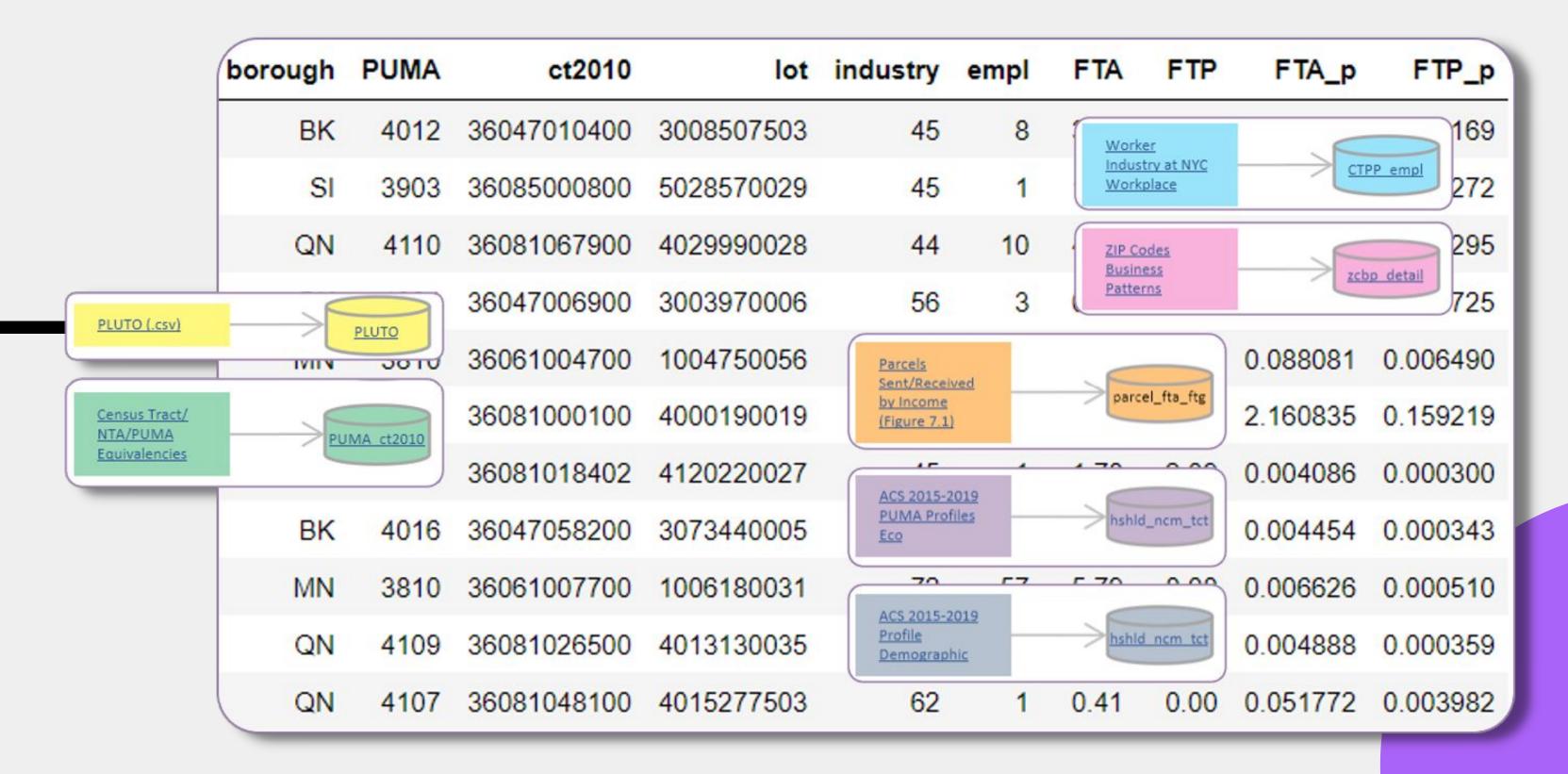


Data Source



Data Frame







Equity 2010 Zones

Combined 2,165 census tracts into 574 zones

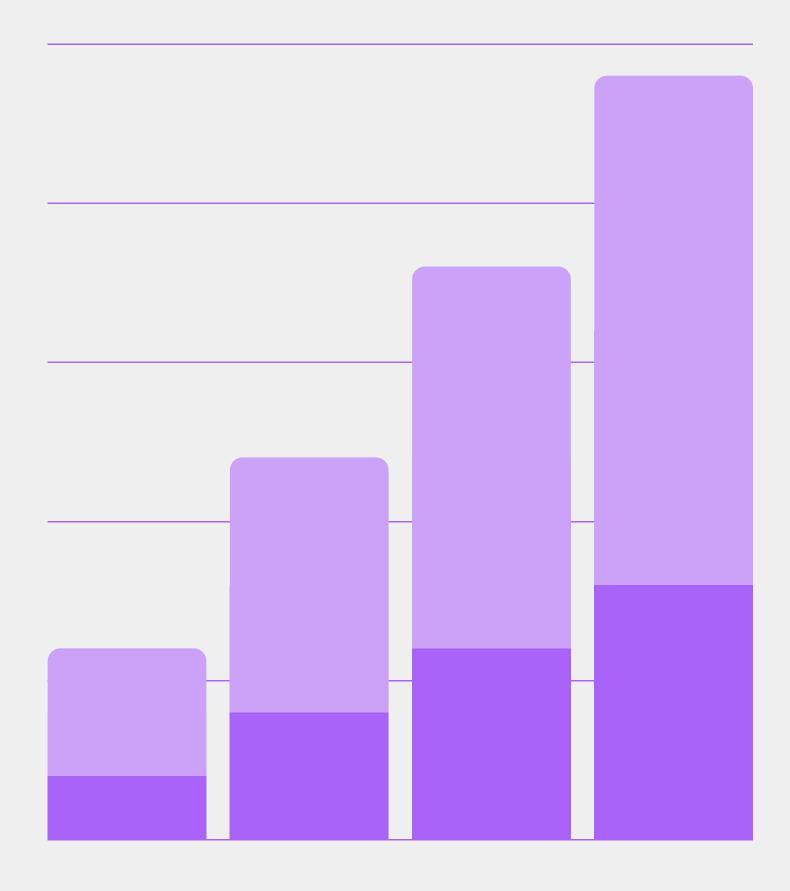
Demographic data reliability significantly improved for minority groups by creating homogeneity in zones
• The average % MoE was at least halved for each dimension

Data source: ACS (3 dimensions: population above 67, population below poverty and population with a commute time above 1

hour) Method of Generation: Tabu Search based on pre-generated solutions



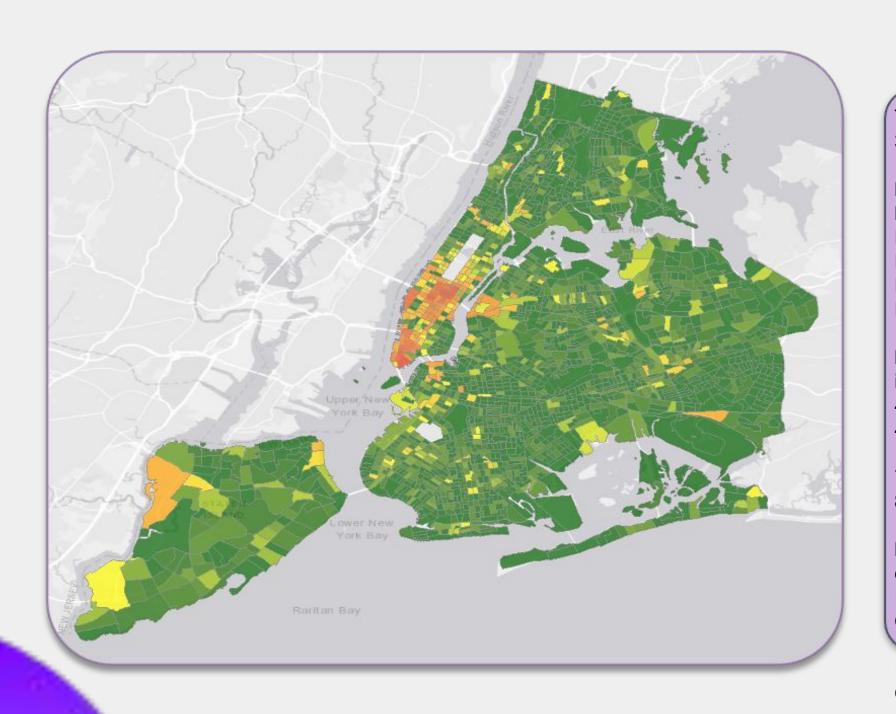
Data Visualization

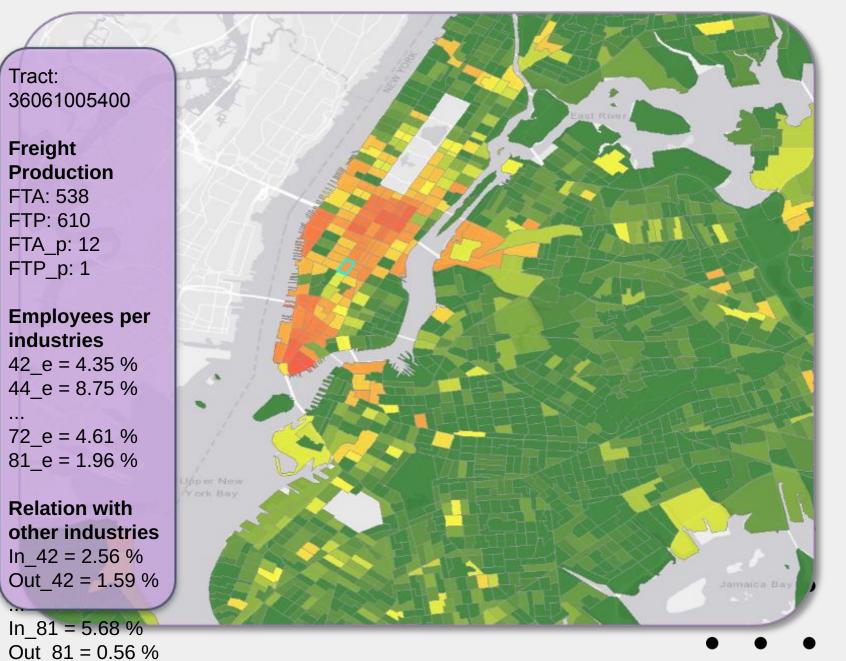




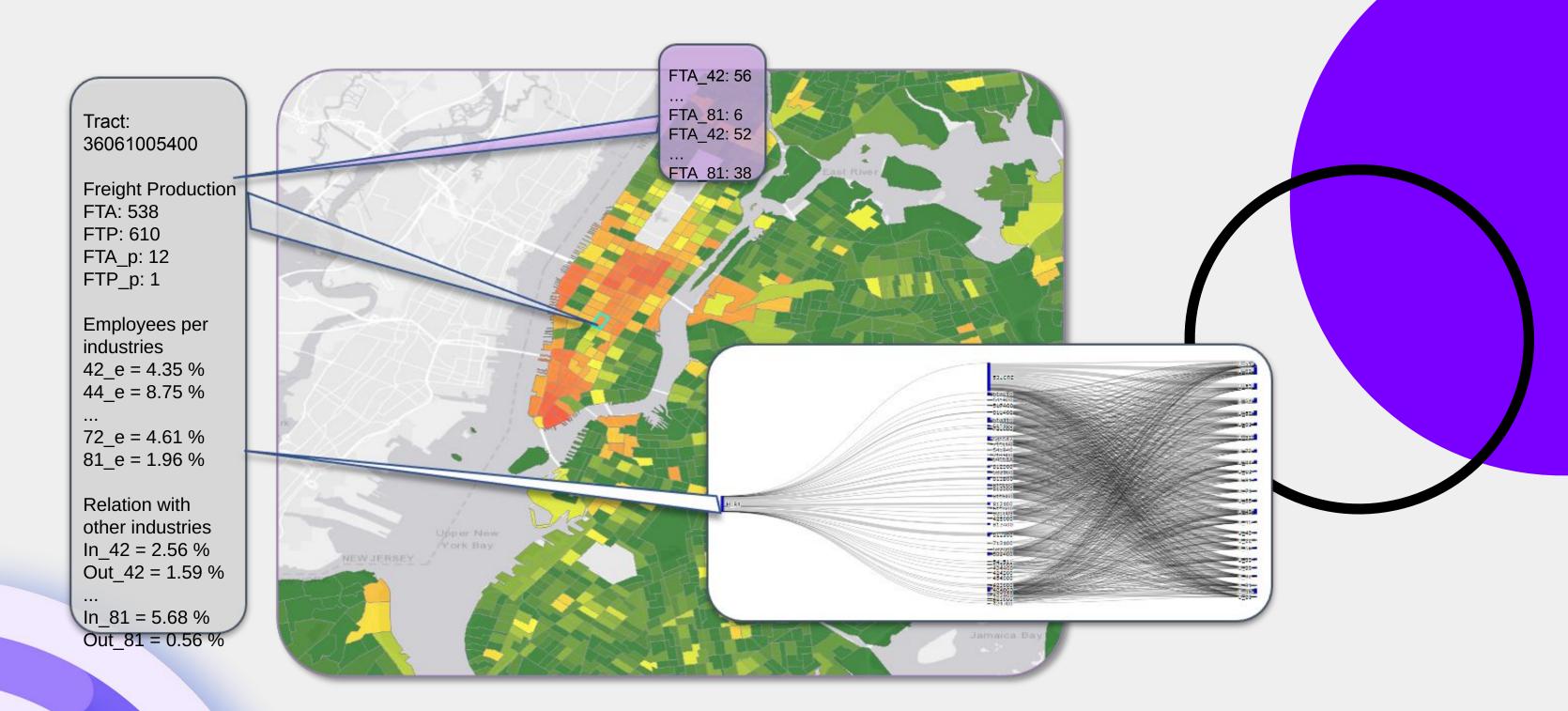


Industry and Zonal Relationships





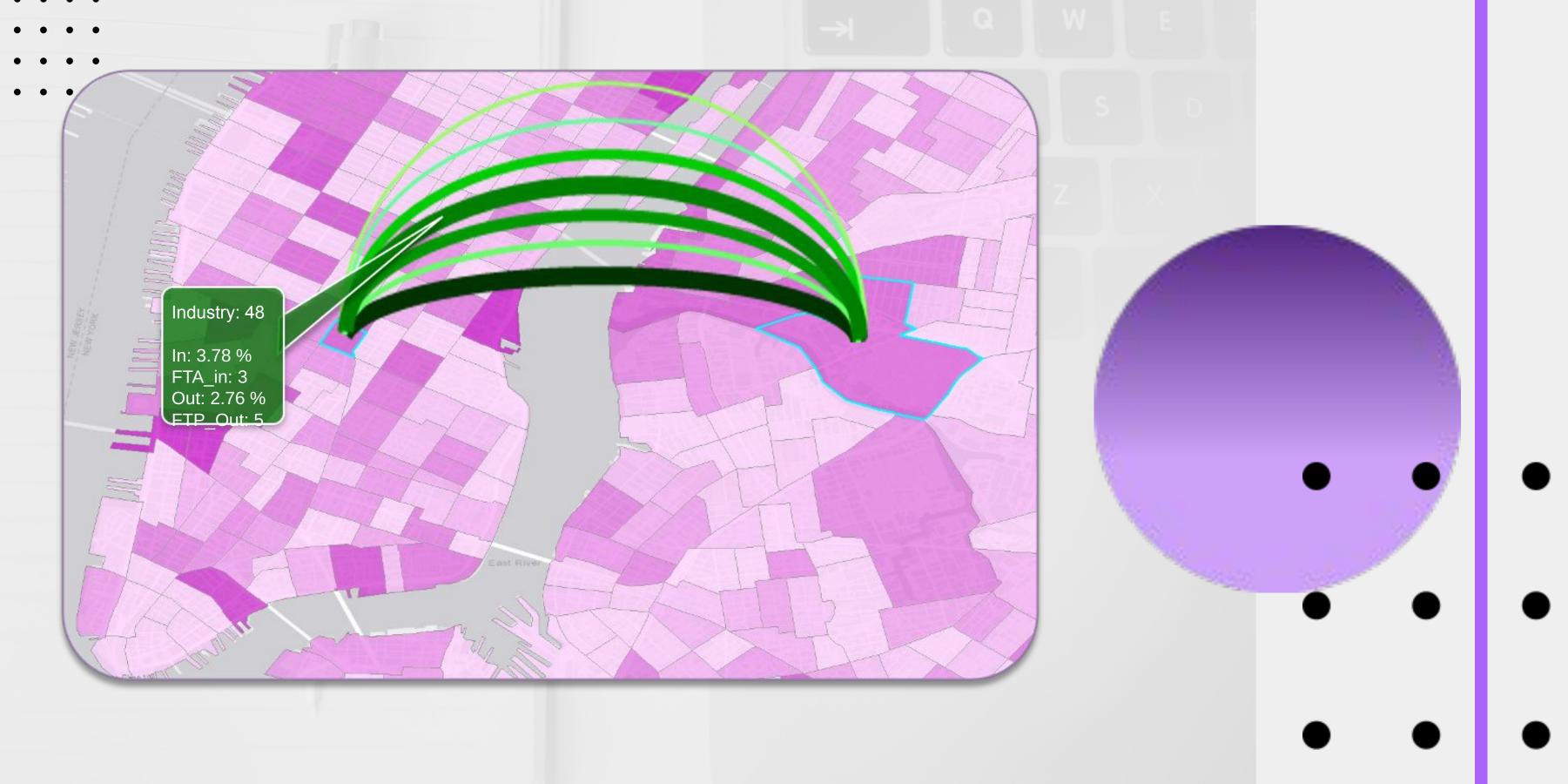
Industry and Zonal Relationships





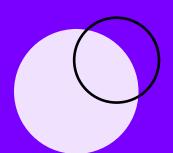
:::Industry and Zonal Relationships

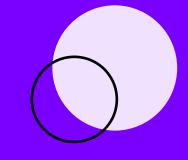






GENERATION





Tour Length Generation





Generate a tour length (in number of stops)
based on distribution calibrated to the
average number of stops for that commodity



Origin Destination Set Generation



tours

1 index = 0
2 nZones = len(EZ_2010_zones)
3 Zones = np.array(np.arange(1,nZones+1))
4 DShape = (len(masterList),nToursList[-1]-2,35)
5 OShape = (len(masterList),nToursList[-1],1)
6 DestSet = np.zeros(DShape,dtype=int)
7 OrigSet = np.zeros(OShape,dtype=int)
8
9 for c in masterList:
10 for i in range(nToursList[-1]-2):
11 for j in range(int(TourLenMat.iloc[i][c])):
12 DestSet[index,i,j] = int(np.random.choice(Zones,1,replace=False,p=FTA_EZ_2010.loc[:,str(c)[0:3]]))
13 OrigSet[index,i,0] = int(np.random.choice(Zones,1,replace=False,p=FTP_EZ_2010.loc[:,str(c)[0:3]]))
14
15 print(c)
16 index = index +1
17
18 print ('done')

Commodity



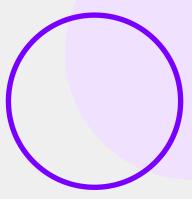
(generated

previously)

Weighted Randomly sample a location based upon the amount of Freight Produced or Attracted there

Tour Set Generation

```
1 #========Finds the next closest site and adds it to the list =================
2 def expand_Tour(finTour,holdList,dA):
     nextD = holdList.pop(0)
     testTours = []
     tourDist = 0
     min = 10000000
     finCopy = []
     for i in range(len(finTour)):
       finCopy.insert(len(finTour),finTour[i])
     finCopy.insert(len(finCopy),nextD)
     testTours.insert(len(testTours),finCopy)
     for j in range(len(testTours)):
         tourDist = 0
         for k in range(len(testTours)):
             dAX = int(testTours[j][k])
             dAY = int(testTours[j][k+1])
             tourDist = tourDist + dA.iloc[dAX,dAY]
         if tourDist < min:</pre>
             min = tourDist
             minInd = j
     finTour = testTours[minInd][:].copy()
     if holdList != []:
         finTour = expand_Tour(finTour,holdList,dA)
     return (finTour)
```



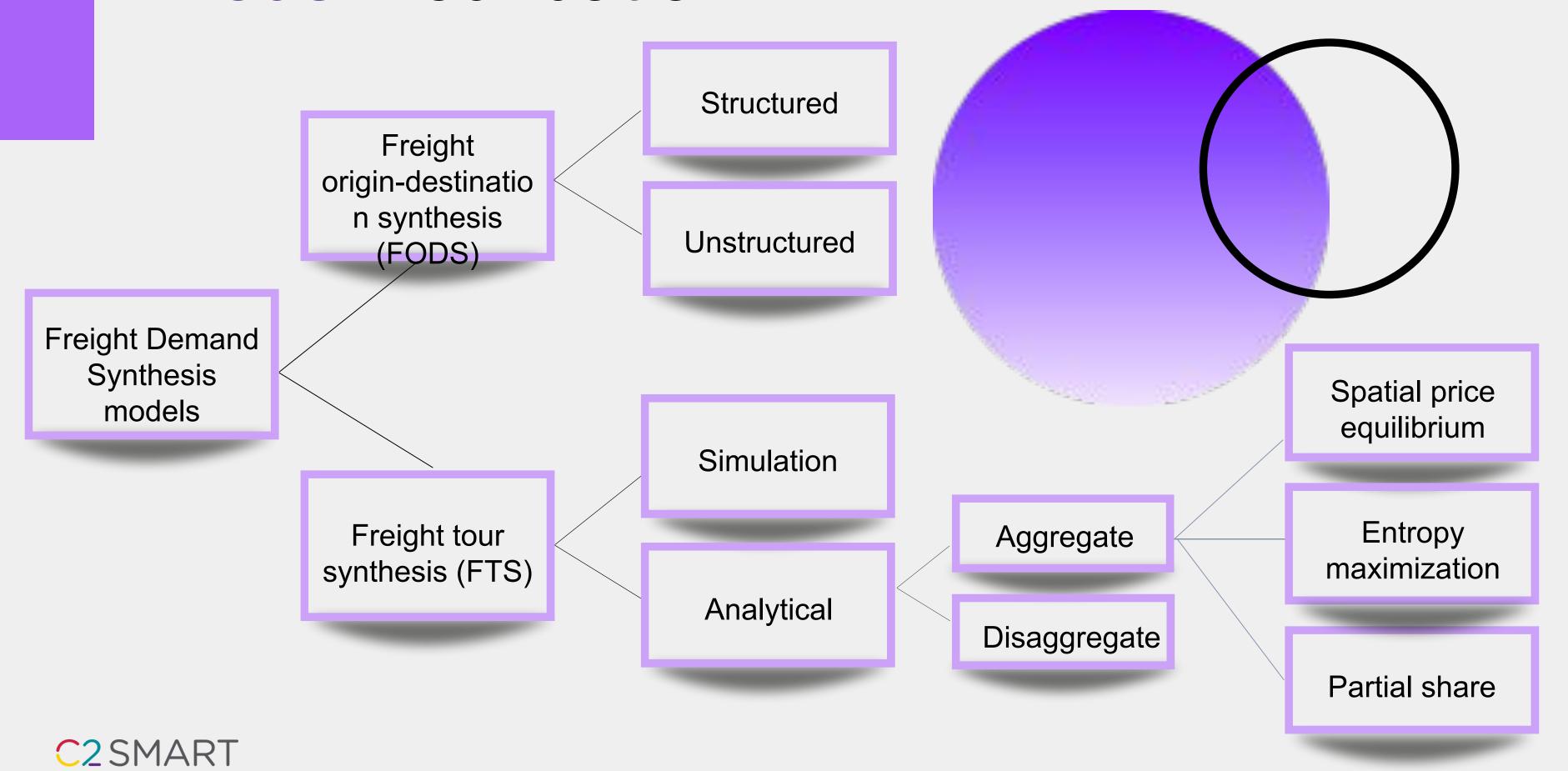
For Each OD Set (generated previously)

Scan through all the ways to connect the locations to find the shortest path required generating a distance matrix



ENTROPY MAXIMIZATION

Model Foundation



Concepts of Entropy Maximization

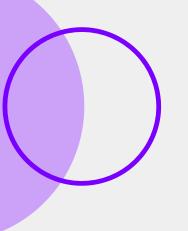
$$Max W\{T_{ij}\} = \frac{T!}{\prod_{ij} T_{ij}!}$$



Mathematical Transformation



$$Min z = \sum_{ij} (T_{ij} log T_{ij} - T_{ij})$$



$$1 O_i = \sum_j T_{ij}$$

$$2 D_j = \sum_i T_{ij}$$

$$3 T_{ij} \ge 0$$

$$4 \sum_{ij} T_{ij} c_{ij} = C$$



Generic Base

Gonstraints
the trips departing from nodes should be equal to the total number of trips originating there (and vice versa)

Ensuring that the solution is sensible



The cost for each trip multiplied by the number of trips equals a generalized cost (which can be determined from other sources)

Model Formulation

Formulation

$$Min z: z = \sum_{m \in M} [t_m \ln(t_m) - t_m]$$

s.t.

$$\sum_{m \in M} a_{im} t_m = O_i$$

$$\forall i \in P$$

$$\sum_{m \in M} b_{jm} y_{jm} = F_j$$

 $\forall j \in A$

$$\sum_{m \in M} \sum_{j \in A} (1 - b_{jm}) y_{jm} = 0$$

$$\sum_{j \in A} y_{jm} = t_m h^k$$

 $\forall m \in M$

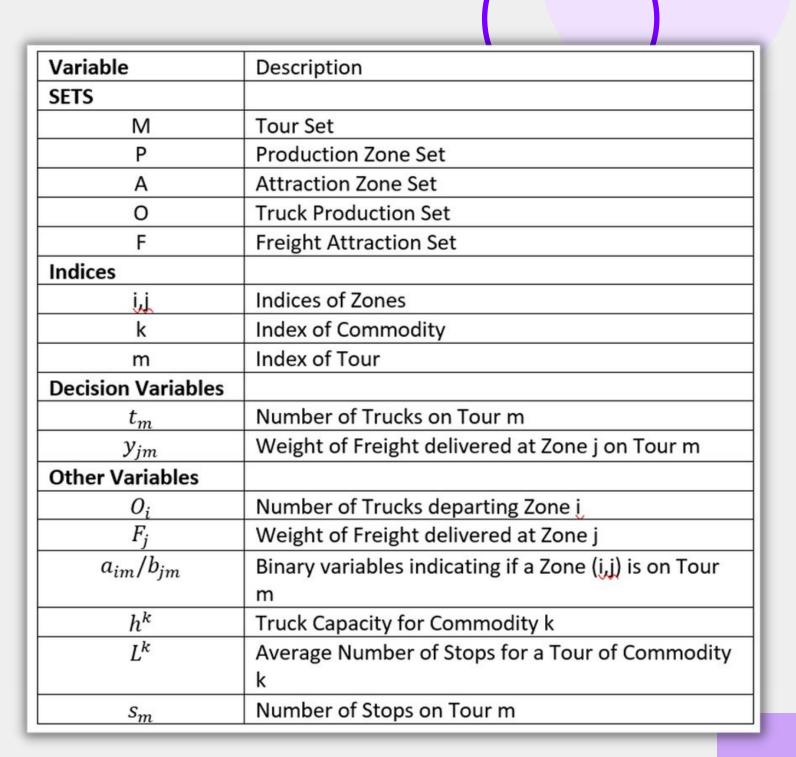
$$L^k \sum_{m \in M} t_m - \sum_{m \in M} s_m t_m = 0$$

$$t_m \ge 0$$

 $\forall m \in M$

$$y_{jm} \geq 0$$

 $\forall m \in M$







Using the minimize function of the SciPy library • 'trust-constr' method

Calculate the 1st and 2nd Derivatives

```
1 for nT in nTours:
    for k in CommodID:
      MInput = '/content/drive/MyDrive/Research/Freight/TourSetGen/TourSet/'+ str(nTours) + '_' + str(CommodID) + 'TourSet.csv'
      MTours = pd.read_csv(MInput) ## Tour Set list
      0 = OIn[k]
      F = FIn[k]
      ProdZones = 0.column()
      AttrZones = F.column()
      makeAB(MTours)
      Solution = minimize(EM, # objective function
11
12
                          t0, # starting point
                          method='trust-constr', # method
13
                          jac=obj_der, # derivative
15
                          hess=obj_hess, # hessian
                          constraints=cons, # constraints
17
                           options={'disp': True}) # True: print the log
18
19
1 ##This cell is reserved for creating a and b
 2 def makeAB(M):
 3 a = np.zeros(M,EZlist)
    b = np.zeros(M,EZlist)
    for m in M: ##For x in M
       for stops in m: ## For y in x
        if stopsIndex == 1: ##the first node is the P, everything else is A
          a[m,stops] = 1
        else:
          b[m,stops] = 1
```



ANALYSIS

Results

Where we can grow and how we can help the field:

Specific Tours
that are heavily
loaded per
commodity

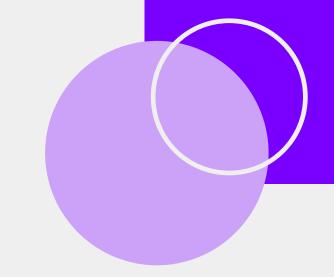
Validations to external data

Uniqueness
of contribution
to the field

Applicability
Ways that this
work can be
used to help
practitioners



C2SMART TRANSPORTATION



c2smart.engineering.nyu.edu c2smart@nyu.edu

Haggai Davis III, PhD Candidate
C2SMART Center
New York University
Tandon School of Engineering
6 MetroTech Center, Brooklyn, NY 11201

Thank you!